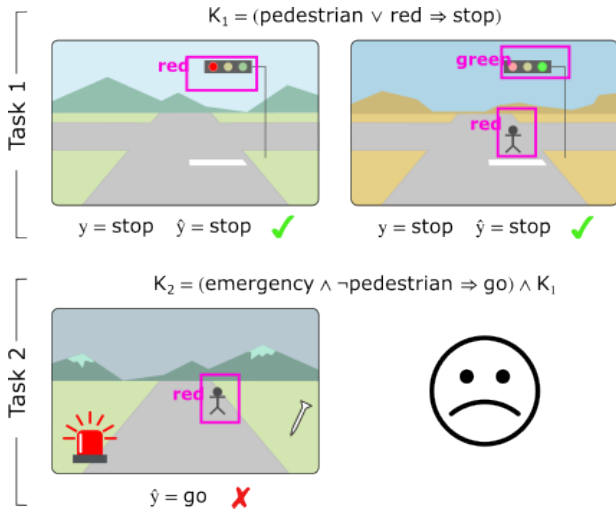


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 Antonio Vergari<sup>3</sup> Andrea Passerini<sup>1</sup> Stefano Teso<sup>1</sup>  
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## REASONING SHORTCUTS

NeSy predictors such as **DeepProbLog**[1], and **Logic Tensor Networks**[2], acquire concepts that comply with the knowledge.

Are learned concepts interpretable and is the model trustworthy?  
**Not always!**[3]



Reasoning Shortcuts (RSs) like this might affect any NeSy predictor!

## MITIGATION STRATEGIES

STRATEGY	REQUIRES
Multi-Task	tasks
Concept Sup.	concepts
Reconstruction	(decoder)
Disentanglement	structure

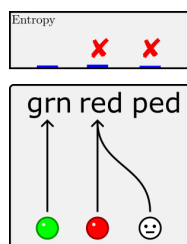
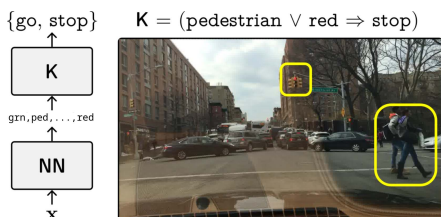
## DESIDERATA

- Concept calibration
- Performance
- Cost effectiveness

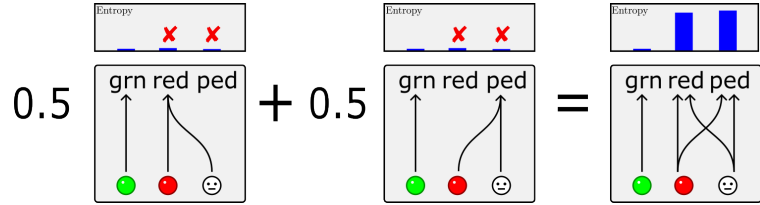
## BEARS: BE AWARE OF REASONING SHORTCUTS!

Effective mitigation strategies for RSs, like concept supervision, are often **impractical**. If the model learns a RS what concepts can we trust?

**Over-confident** solutions are dangerous: impossible to be aware of wrong concepts!



## OUR SOLUTION



bears combines **Deep Ensembles + diversification** (~ Bayesian NeSy) and provably optimizes for all desiderata:

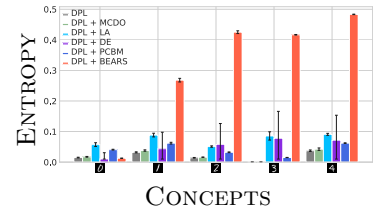
$$\mathcal{L}_{\text{bears}} = \mathcal{L}(\mathbf{x}, \mathbf{y}; \mathbf{K}, \theta_t) + \gamma_1 \cdot \text{KL}(p_{\theta_t}(\mathbf{C} | \mathbf{x}) || \frac{1}{t} \sum_{j=1}^t p_{\theta_j}(\mathbf{C} | \mathbf{x})) + \gamma_2 \cdot H(p_{\theta_t}(\mathbf{C} | \mathbf{x}))$$

## EXPERIMENTS

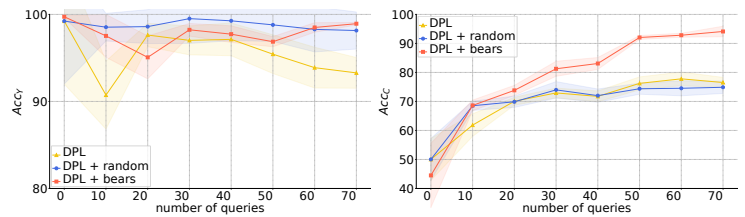
### ① An example from MNIST-Addition

Solve the sum between two digits, e.g.,  $2 + 3 = 5$ .

$$\begin{cases} 0 + 0 = 0 \\ 0 + 1 = 1 \\ 2 + 3 = 5 \\ 2 + 4 = 6 \end{cases}$$



### ② Active learning with bears



### ③ bears in real-world: BDD-OIA [4]

	mECE <sub>C</sub>	ECE <sub>C</sub> (F, S)	ECE <sub>C</sub> (R)	ECE <sub>C</sub> (L)
DPL	0.84 ± 0.01	0.75 ± 0.17	0.79 ± 0.05	0.59 ± 0.32
+ MCDO	0.83 ± 0.01	0.72 ± 0.19	0.76 ± 0.08	0.55 ± 0.33
+ LA	0.85 ± 0.01	0.84 ± 0.10	0.87 ± 0.04	0.67 ± 0.19
+ PCBM	0.68 ± 0.01	0.26 ± 0.01	0.26 ± 0.02	0.11 ± 0.02
+ DE	0.79 ± 0.01	0.62 ± 0.03	0.71 ± 0.10	0.37 ± 0.12
+ bears	<b>0.58 ± 0.01</b>	<b>0.14 ± 0.01</b>	<b>0.10 ± 0.01</b>	<b>0.02 ± 0.01</b>

## REFERENCES

- Manhaeve et al., DeepProbLog, NeurIPS (2018)
- Donadello et al., Logic Tensor Networks, IEEE (2018)
- Marconato et al., Not All Neuro-Symbolic Concepts are Created Equal: Analysis and Mitigation of Reasoning Shortcuts, NeurIPS (2023)
- Xu et al., BDD-OIA dataset, CVPR (2020).



We propose bears to estimate concept uncertainty!